

# Introduction to MATLAB

## 5: Graphics with MATLAB

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# plot

**plot**  
**title**  
**xlabel**  
**ylabel**  
**legend**

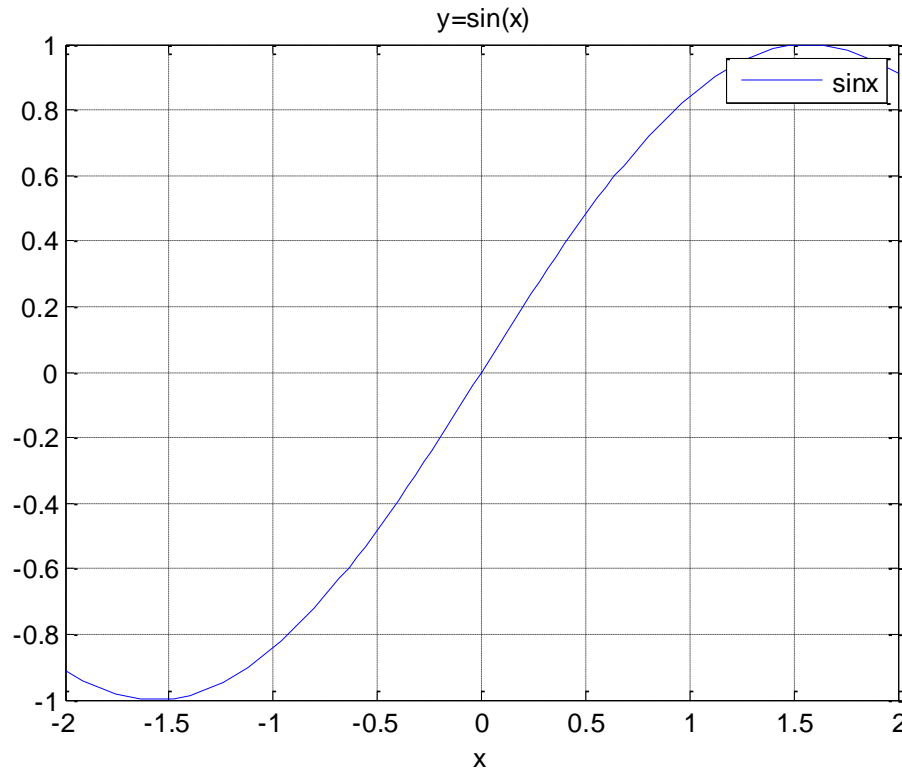
**text**  
**grid**

**figure**  
**ploteedit**  
**hold on, hold off**

**axis**

# plot

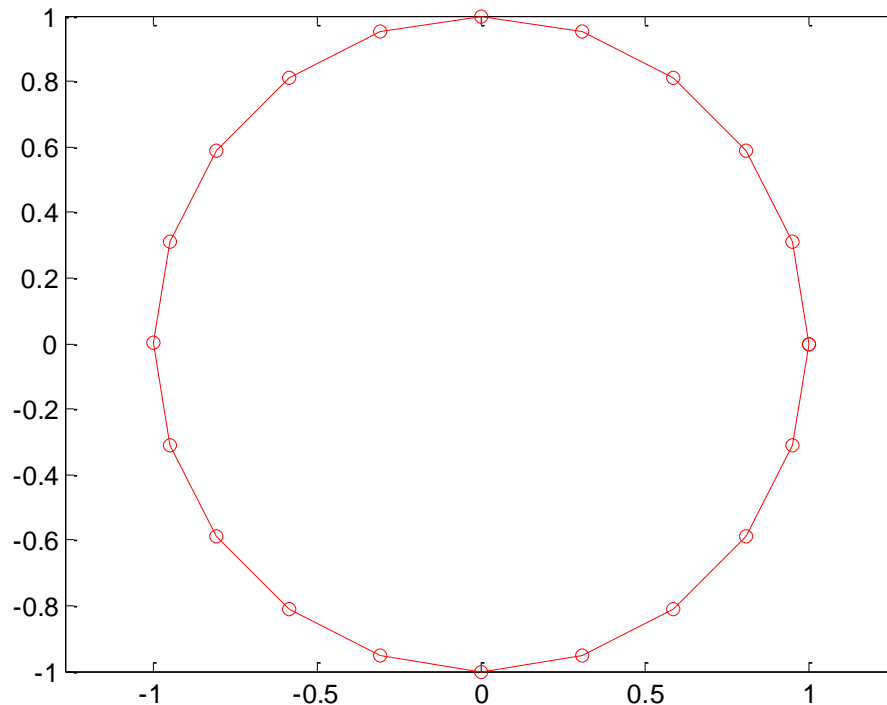
```
>> x=linspace(-2,2,101); plot(x, sin(x))  
>> xlabel('x'), title('y=sin(x)')  
>> grid  
>> legend('sinx')
```



**Much more options in the figure window!**

# Plot with complex functions

```
>> t=0:pi/10:2*pi;  
>> plot(exp(i*t),'r-o')  
>> axis equal
```

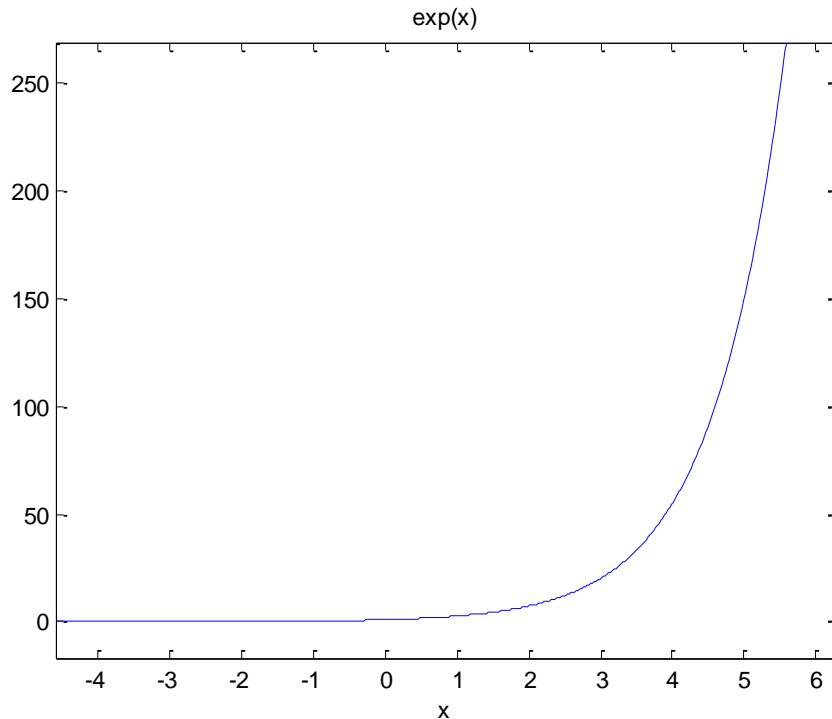


**plot(Z)** is equivalent to **plot(real(Z), imag(Z)).**

# ezplot

- **ezplot(f)** plots  $f(x)$  in  $[-2\pi, 2\pi]$ .
- **ezplot(f, a, b)** or **ezplot(f, [a, b])** plot  $f(x)$  in  $[a, b]$
- **ezplot(f, [xmin xmax ymin ymax])**

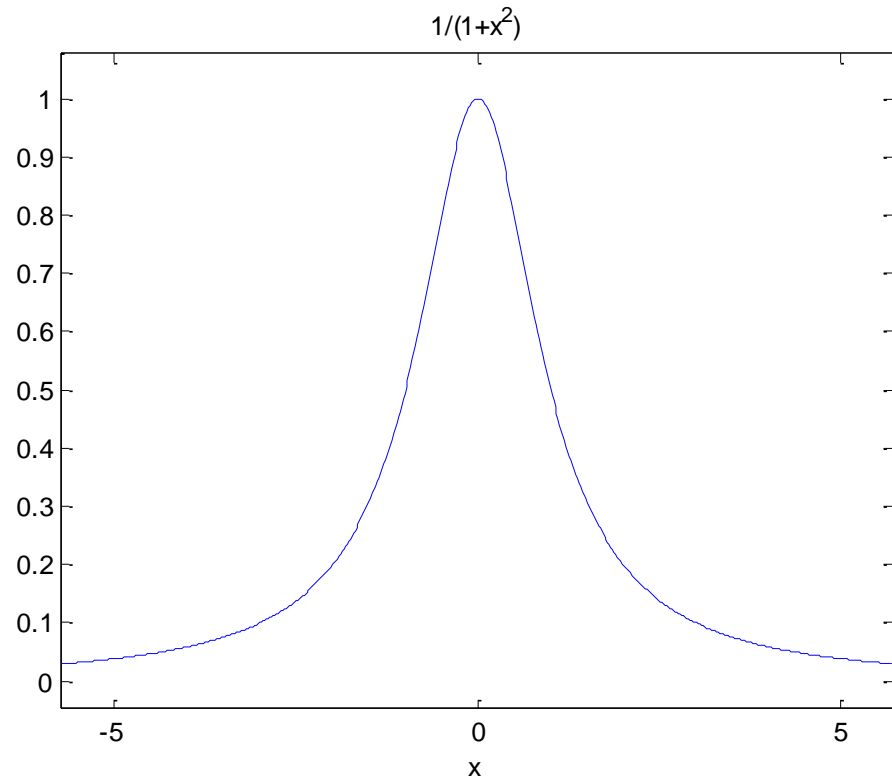
```
>> ezplot('exp(x)')
```



# Example 1

$$f(x) = \frac{1}{1+x^2}$$

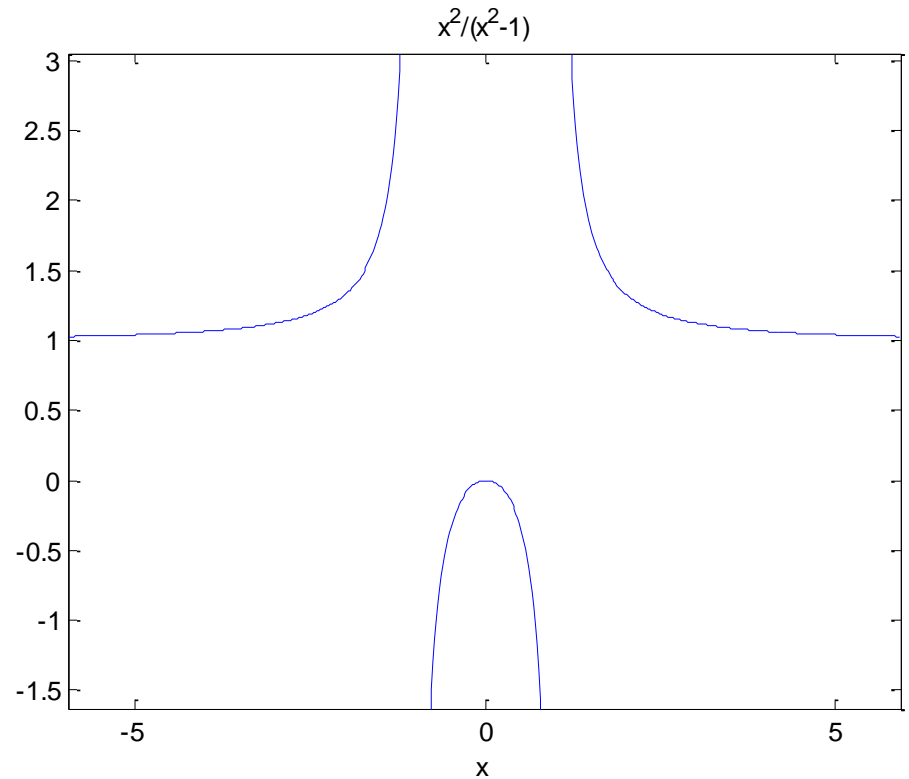
```
>> ezplot('1./(1+x.^2)')
```



## Example 2

$$f(x) = \frac{x^2}{x^2 - 1}$$

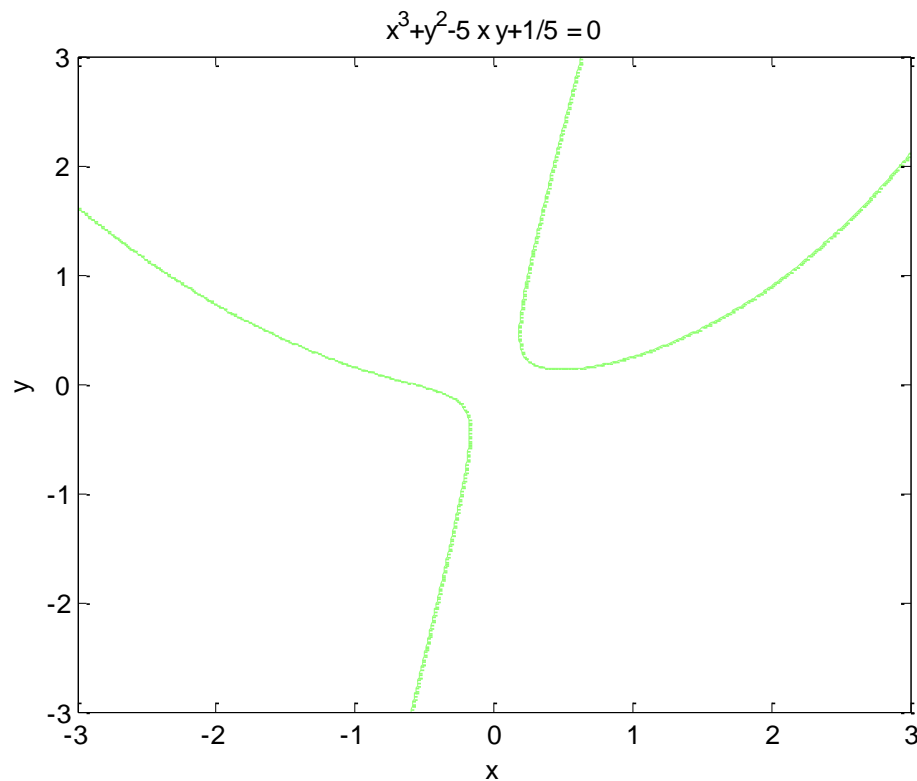
```
>> f = @(x) x.^2./(x.^2-1);  
>> ezplot(f)
```



# ezplot: implicit functions

$$f(x, y) = x^3 + y^2 - 5xy + \frac{1}{5} = 0$$

```
>> ezplot('x^3+y^2-5*x*y+1/5',[-3,3])
```



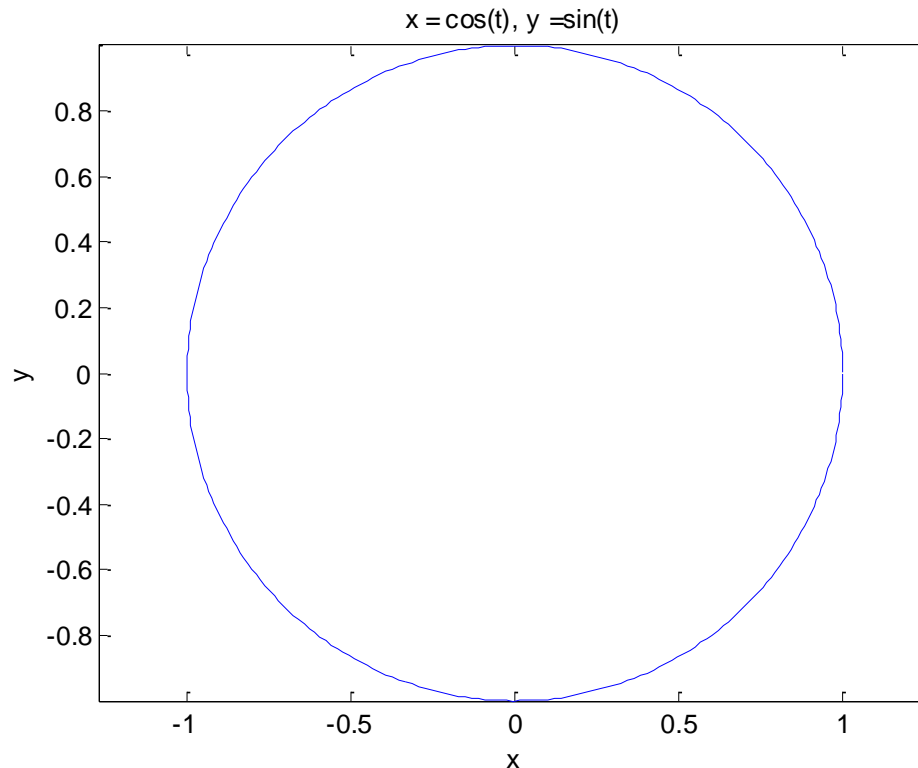


# ezplot: parametric curves

$$x = x(t), \quad y = y(t), \quad t \in [a, b]$$

**ezplot('x(t)', 'y(t)', [a,b])**

```
>> ezplot('cos(t)', 'sin(t)', [0, 2*pi])
```

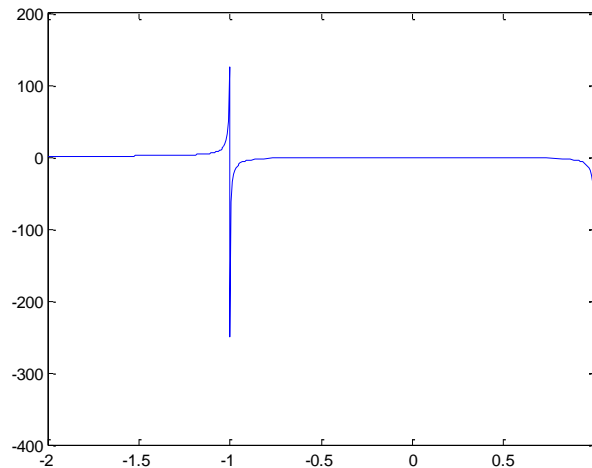


# fplot

```
fplot(f, [xmin, xmax])
```

```
fplot(f, [xmin, xmax, ymin, ymax])
```

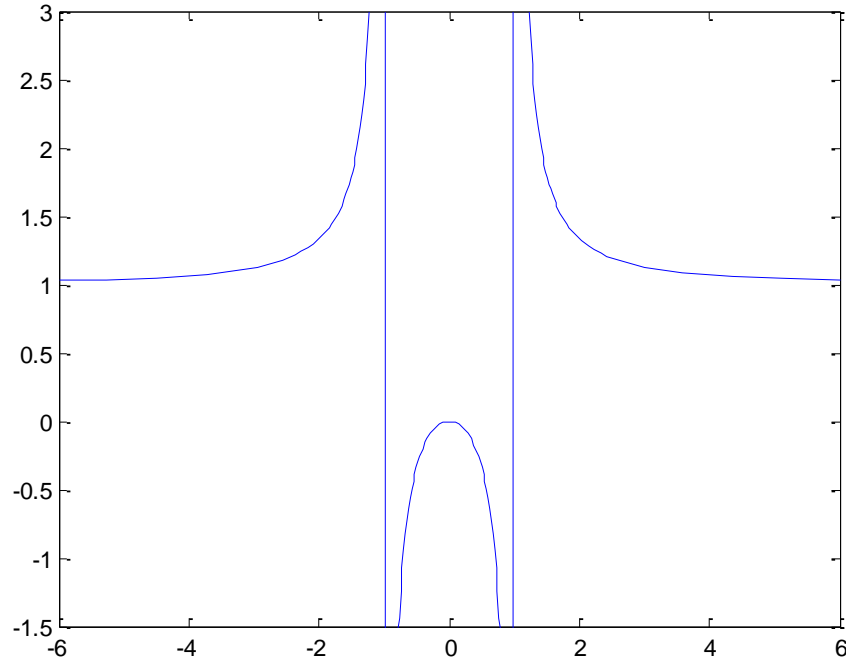
```
>> f = @(x) x.^2./(x.^2-1);  
>> fplot(f, [-2,1])
```



$$f(x) = \frac{x^2}{x^2 - 1}$$

# fplot

```
>> f = @(x) x.^2./(x.^2-1);  
>> fplot(f,[-6 6 -1.5 3])
```

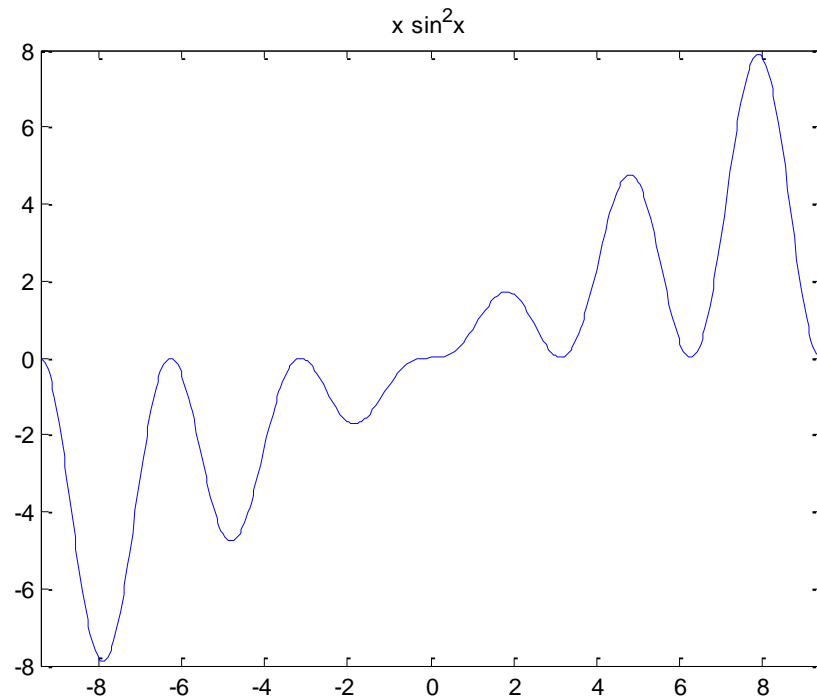


$$f(x) = \frac{x^2}{x^2 - 1}$$

# fplot

$$f(x) = x \sin^2 x$$

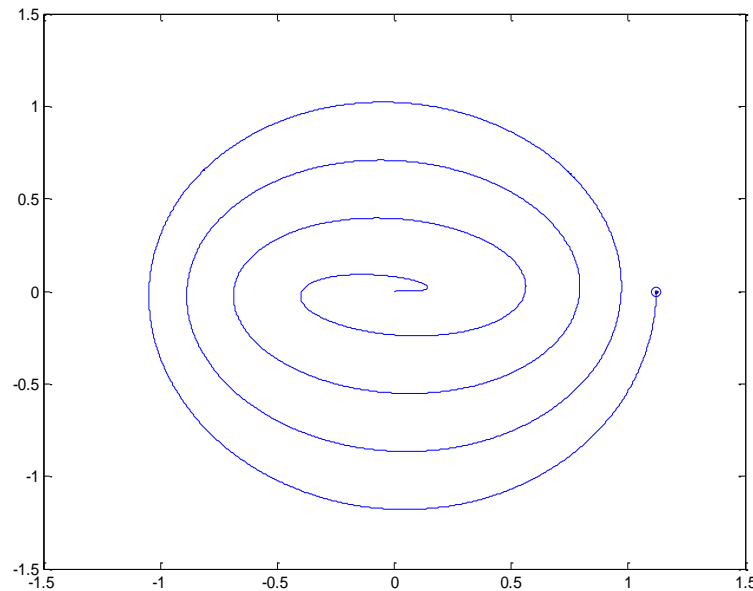
```
>> fplot('x*sin(x)^2',[-3*pi, 3*pi]), title('x sin^2x')
```



# comet

**comet(x,y)**

```
>> t=0:pi/1000:8*pi;  
>> x=sqrt(t/20).*cos(t); y=t.*sin(t)/20;  
>> comet(x,y)
```



$$x(t) = \sqrt{\frac{t}{20}} \cos t$$
$$y(t) = \frac{t \sin t}{20}$$

```
>> plot(x,y), hold on, comet(x,y)
```

# Colors, lines, and symbols

**plot(x,y, ' [color][stype][ltype]' ).**

[color]	Color	Color
b	blue	<b>blue</b>
g	green	<b>green</b>
r	red	<b>red</b>
c	cyan	<b>cyan</b>
m	magenta	<b>magenta</b>
y	yellow	<b>yellow</b>
k	black	<b>black</b>
w	white	

[ltype]	Line type
-	solid
:	dotted
--	dashed
-.	dashdot

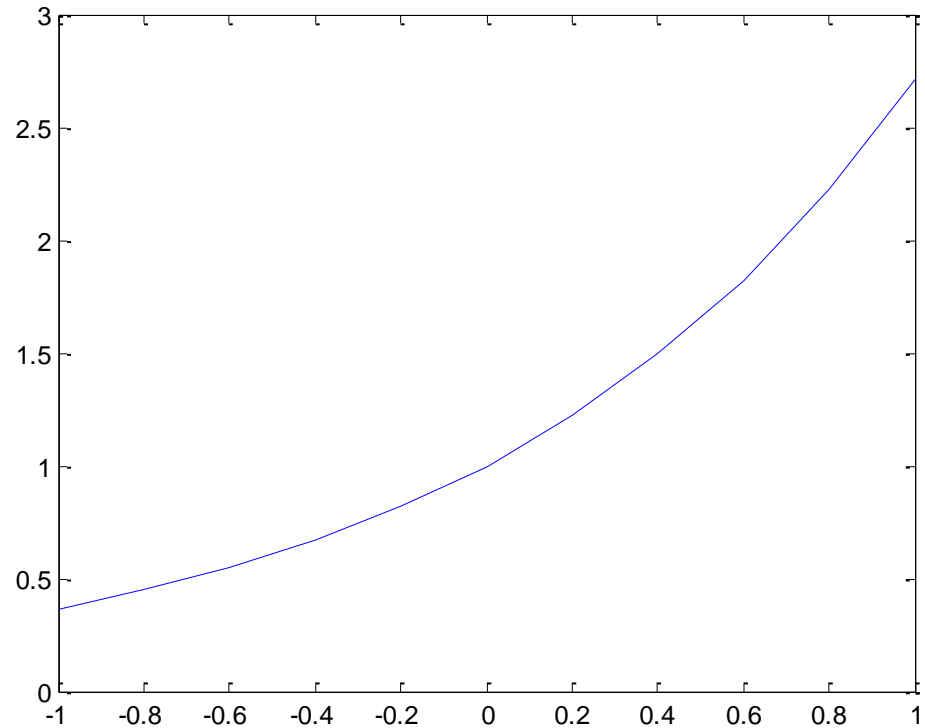
[stype]	Symbol
.	point
o	circle
x	x-mark
+	plus
*	star
s	square
d	diamond
v	triangle (down)
^	triangle (up)
<	triangle (left)
>	triangle (right)
p	pentagram
h	hexagram

# Plot

```
>> x = -1:0.2:1;  
>> y=exp(x);  
>> plot(x, y)
```

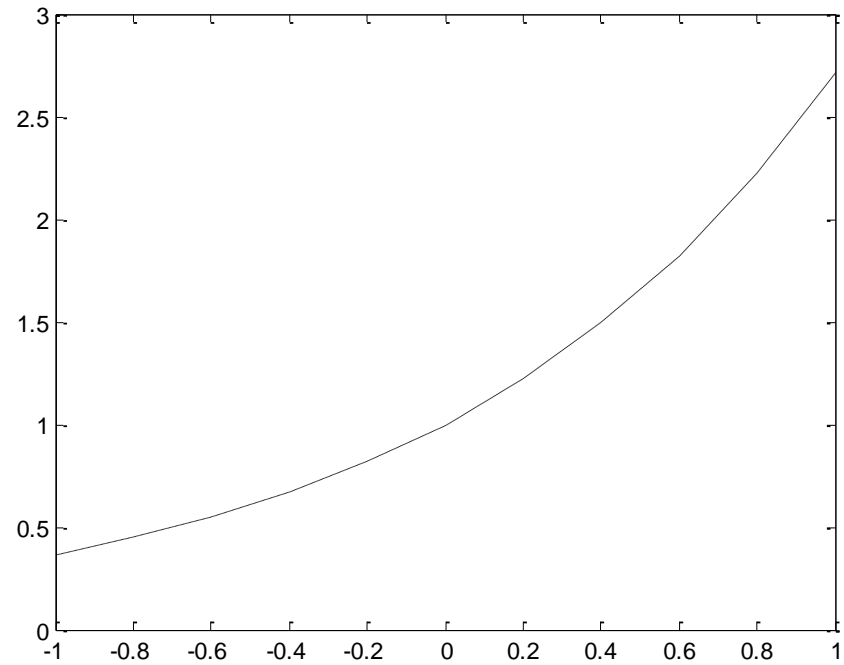
or

```
>>plot(x, y, 'b- ')
```



# Plot

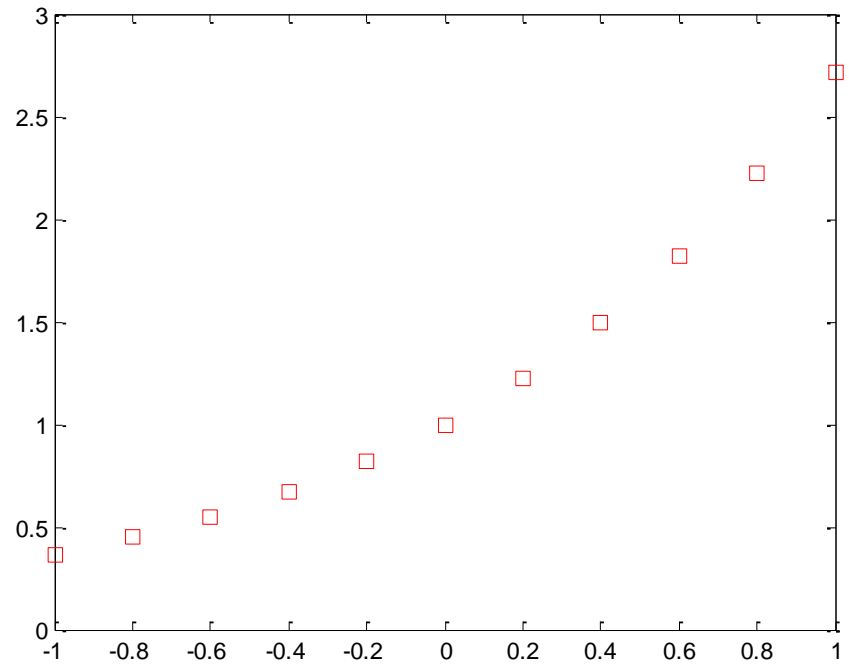
```
>> plot(x, y, 'k--')
```





# Plot

```
>> plot( x, y, 'rs')
```

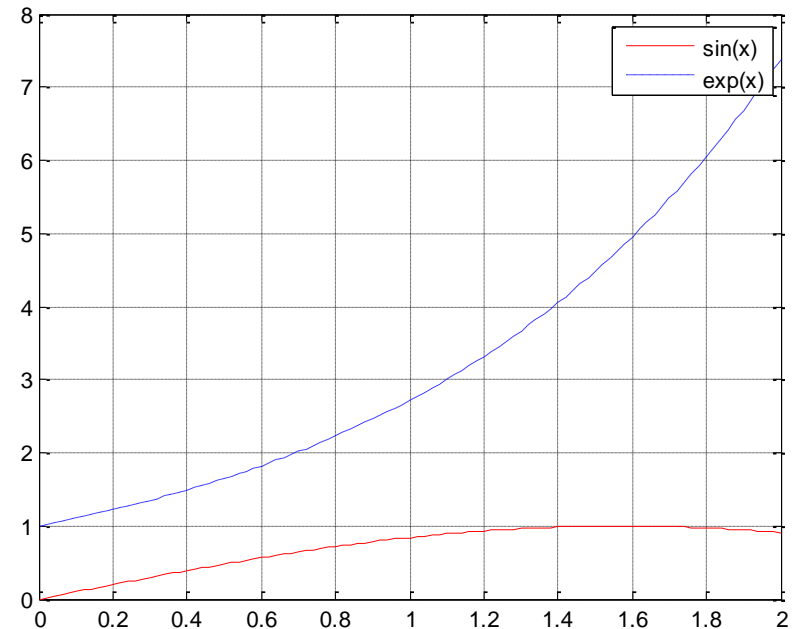


# Multiple graphs

```
plot( x1, y1, ' [colour][stype][ltype]', x2, y2, ' [colour][stype][ltype]', ..... )
```

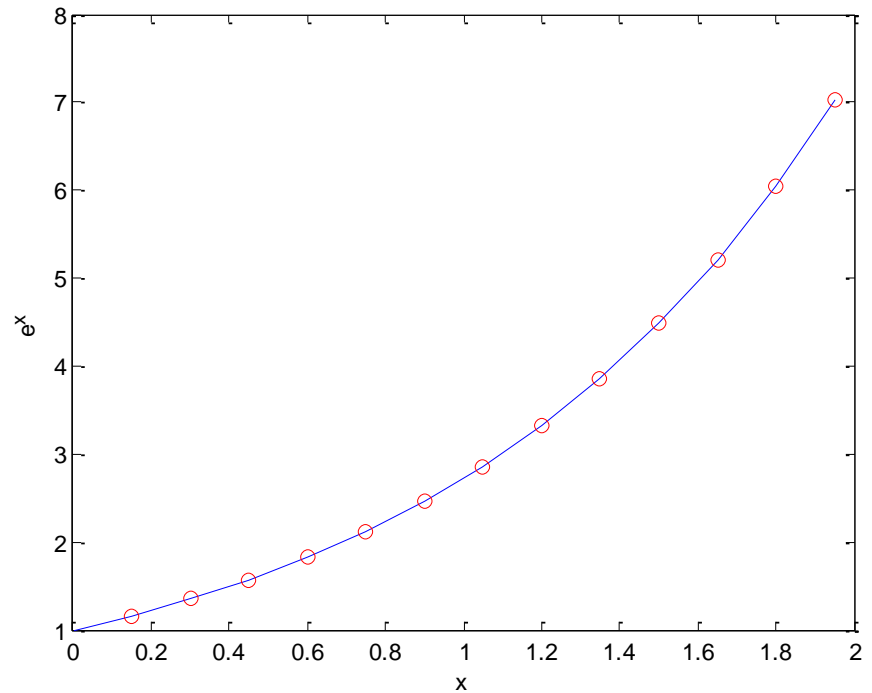
```
legend ('legend y1', 'legend y2', .....)
```

```
>> x=0:0.02:2;  
>> y=sin(x);  
>> z=exp(x);  
>> plot( x, y, 'r', x, z, '--')  
>> grid  
>> legend ( 'sin(x)', 'exp(x)' )
```



# Plot

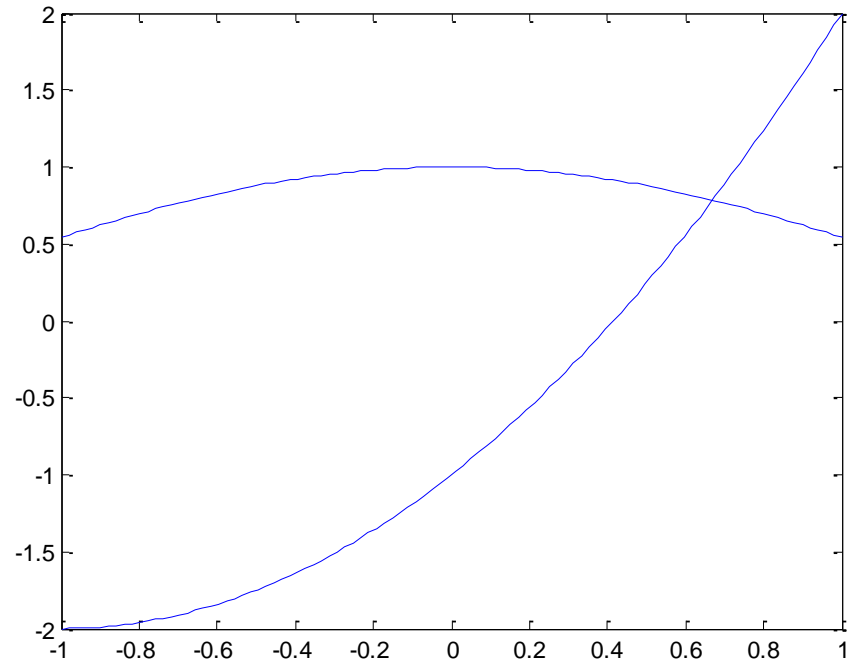
```
>> x=0:0.15:2;  
>> y=exp(x);  
>> plot( x, y, 'b', x, y, 'ro')  
>> xlabel('x')  
>> ylabel('e^x')
```



# hold

```
>> t=linspace(-1,1);  
>> y=t.^2 + 2*t -1;  
>> plot(t,y)
```

```
>> hold on  
>> z=cos(t)  
>> plot(t,z)  
>> hold off
```



# Logarithmic plots

**plot(x,y)**

**loglog(x,y)**

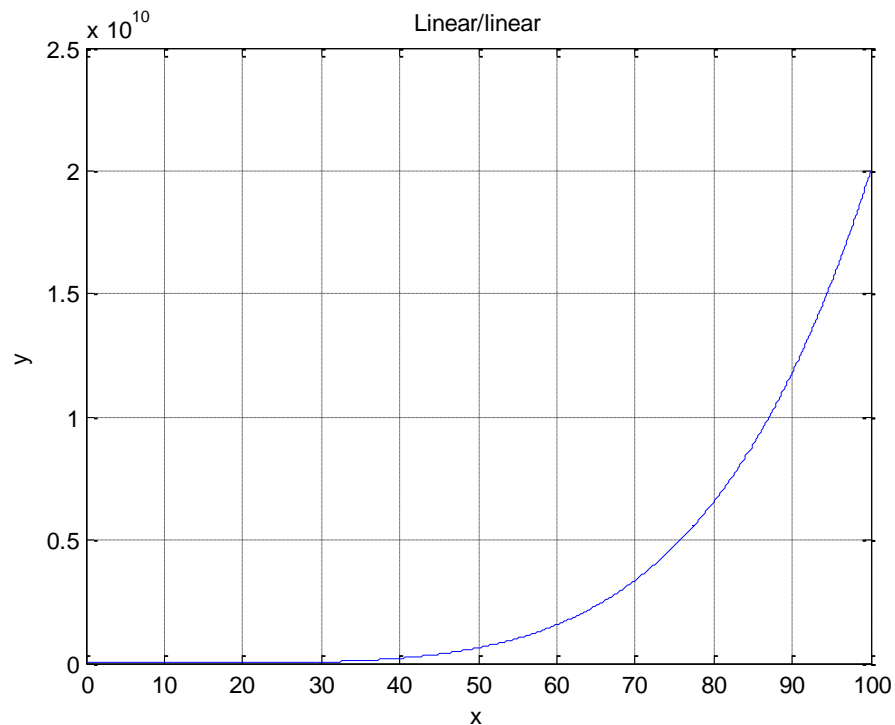
**semilogx(y)**

**semilogy(x,y)**

$$y = 1 + x^5$$

# plot

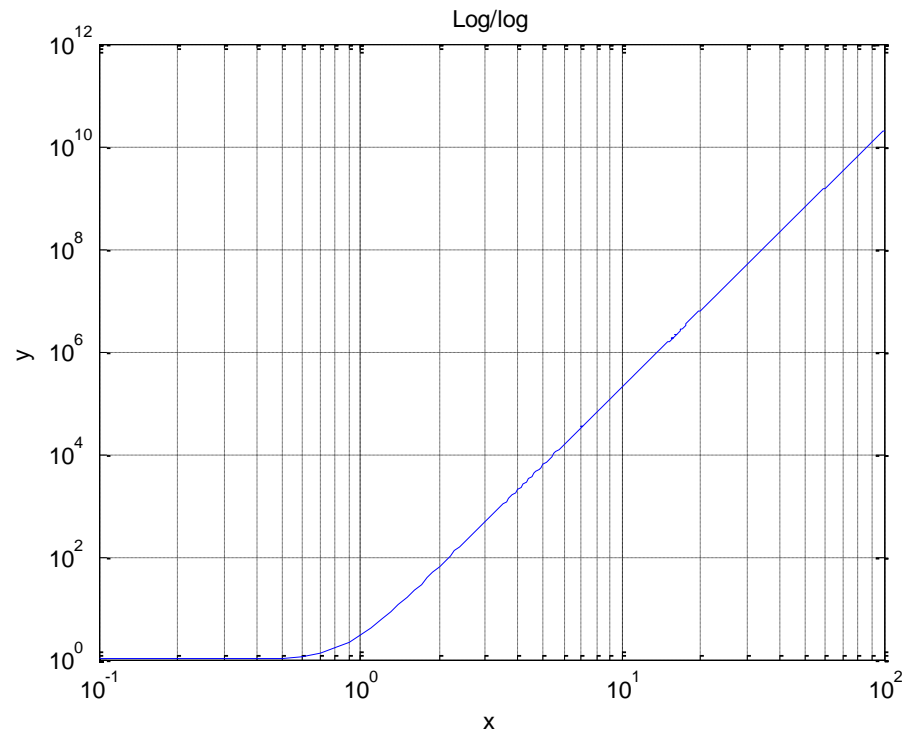
```
>> x=0:0.1:100;  
>> y=1+2*x.^5;  
>> plot(x,y), grid, xlabel('x'), ylabel('y')  
>> title('Linear/linear')
```



$$y = 1 + x^5$$

# loglog(x,y)

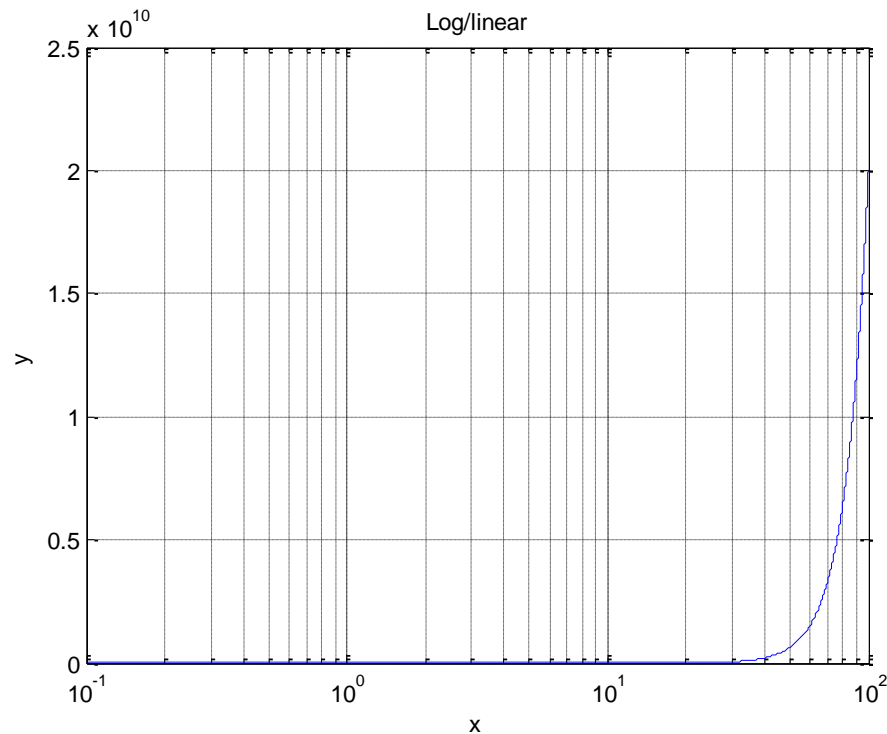
```
>> loglog(x,y), grid, xlabel('x'), ylabel('y')  
>> title('Log/log')
```



$$y = 1 + x^5$$

**semilogx(x,y)**

```
>> semilogx(x,y), grid, xlabel('x'), ylabel('y')  
>> title('Log/linear')
```

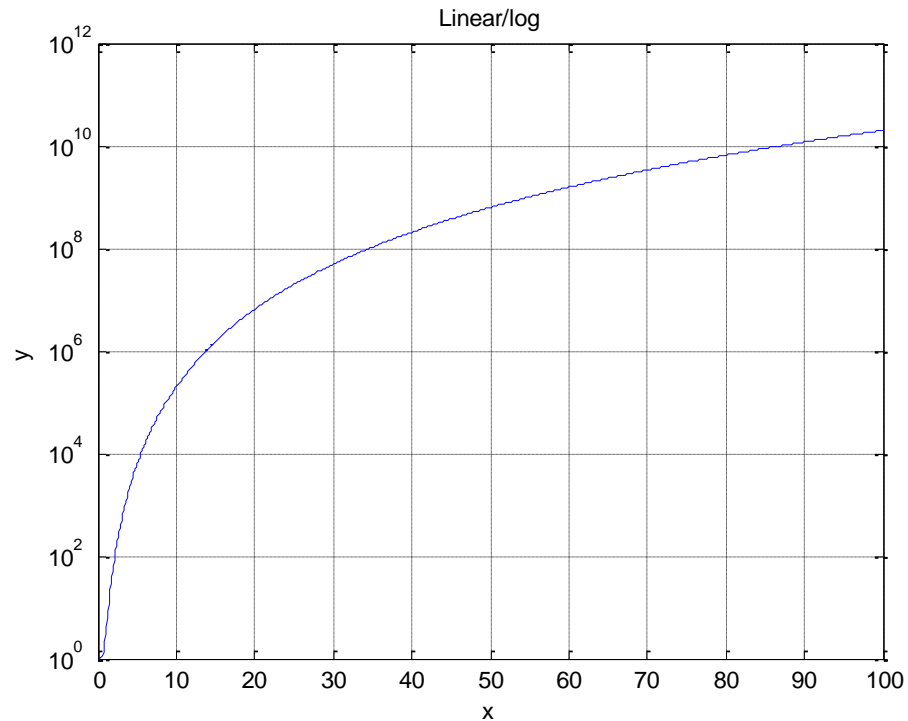




$$y = 1 + x^5$$

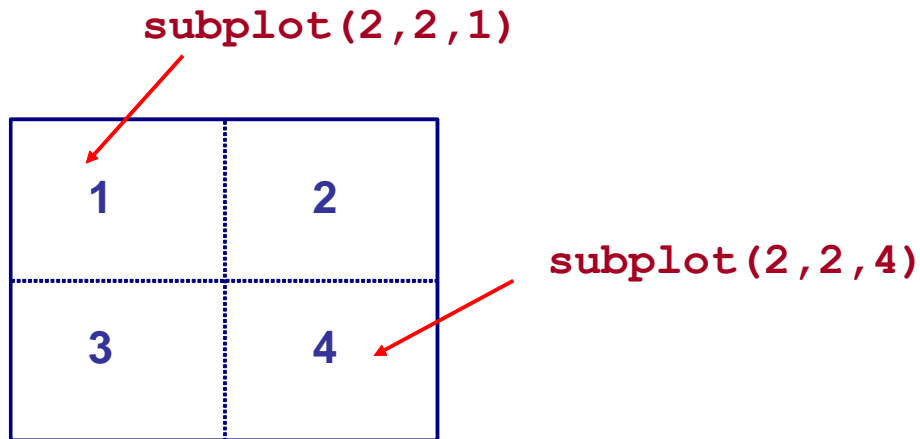
**semilogy(x,y)**

```
>> semilogy(x,y), grid, xlabel('x'), ylabel('y')  
>> title('Linear/log')
```



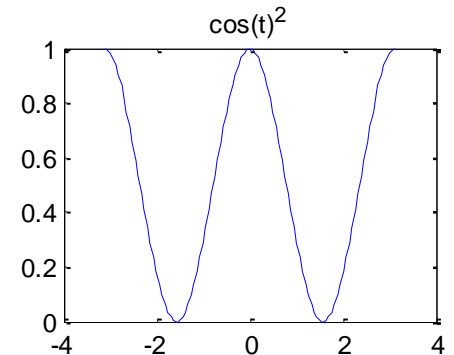
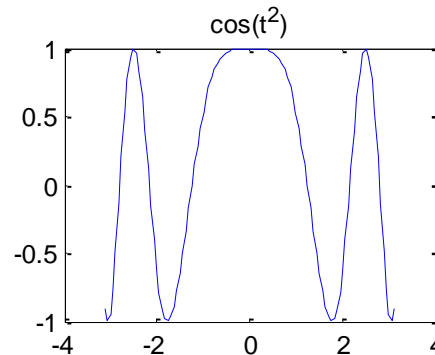
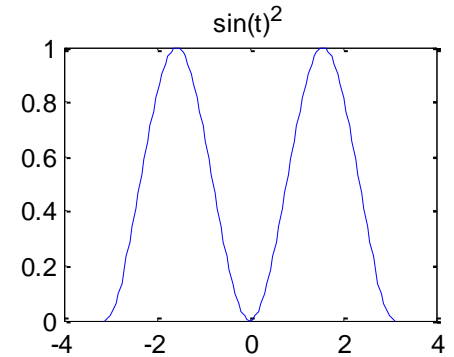
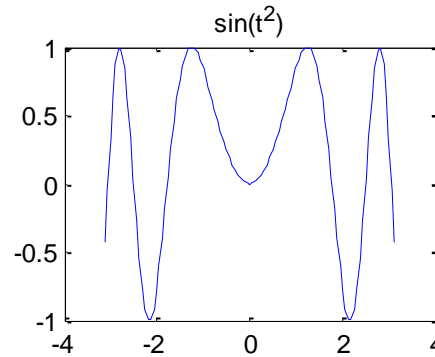
# Multiple plots

**subplot(m,n,p)**



# Example

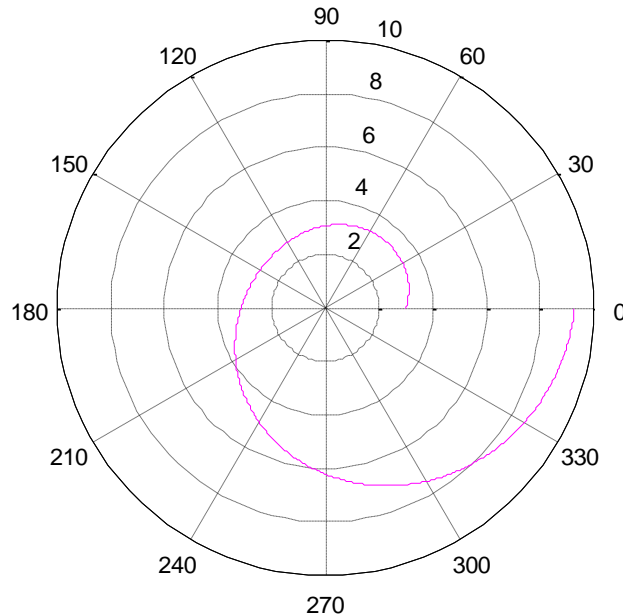
```
>> t = -pi:2*pi/100:pi;  
>> f1=sin(t.^2);  
>> f2=(sin(t)).^2;  
>> f3=cos(t.^2);  
>> f4=(cos(t)).^2;  
>> subplot(2,2,1);plot(t,f1);  
>> title('sin(t^2)')  
>> subplot(2,2,2);plot(t,f2);  
>> title('sin(t)^2')  
>> subplot(2,2,3);plot(t,f3);  
>> title('cos(t^2)')  
>> subplot(2,2,4);plot(t,f4);  
>> title('cos(t)^2')
```



# Graphs in polar coordinates

**polar(theta,r)**

```
>> t=0:0.01:2*pi;  
>> r=3*cos(t/2).^2+t;  
>> polar(t,r, 'm')
```

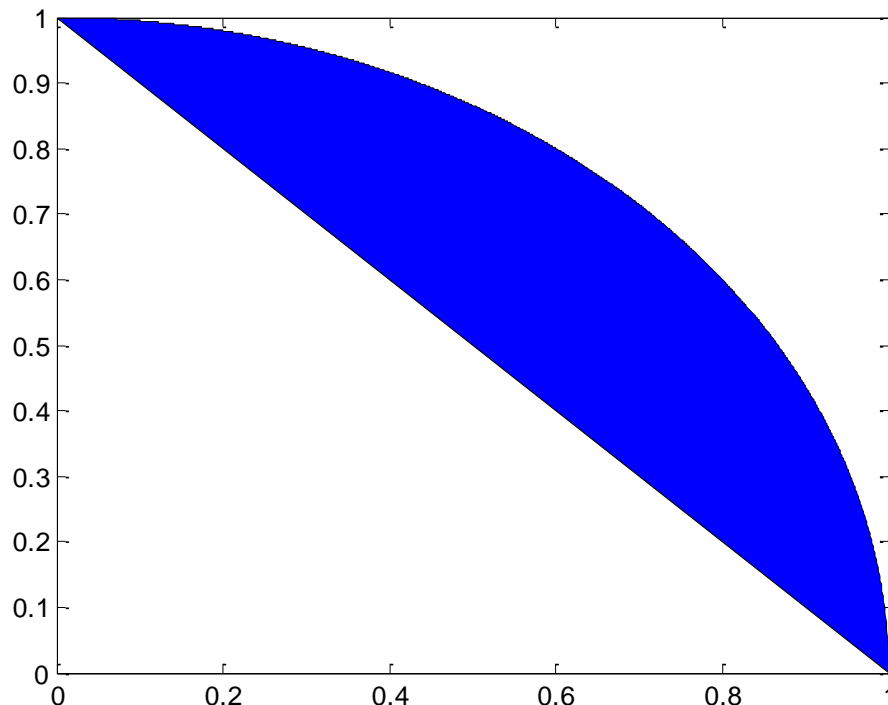


$$r = 3\cos^2\frac{\theta}{2} + \theta$$

# fill

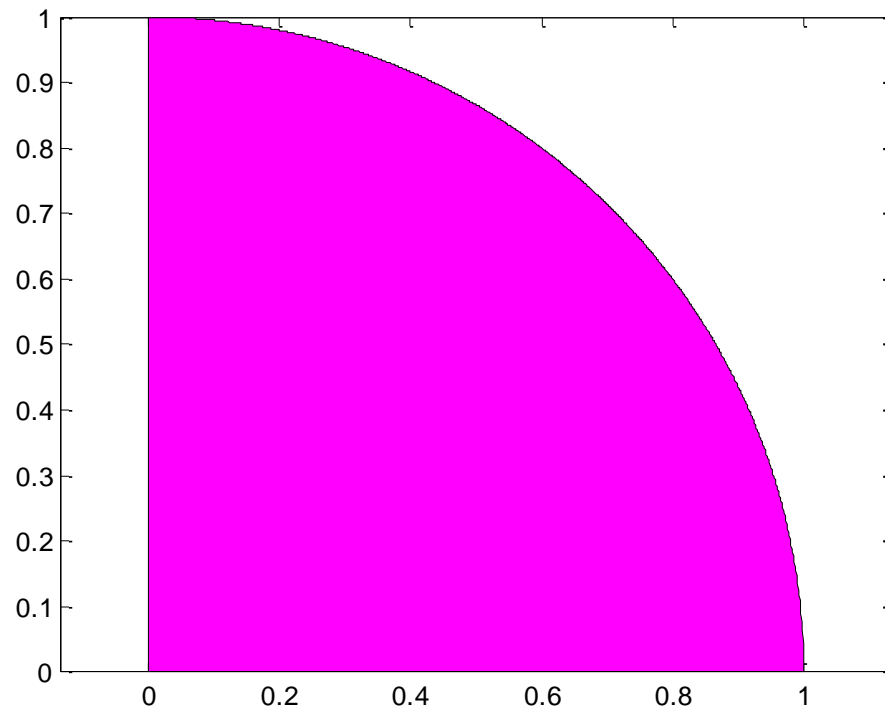
**fill(X,Y,C)** fills the 2-D polygon defined by vectors X and Y with the color specified by C.

```
>> x=linspace(0,1,1001); y=sqrt(1-x.^2);  
>> fill(x,y,'b')
```



# fill

```
>> x=linspace(0,1,1001); y=sqrt(1-x.^2);  
>> X=[x 0]; Y=[y 0];  
>> fill(X,Y,'m'), axis equal
```



# Bar and area graphs

**bar(x)**

**barh(x)**

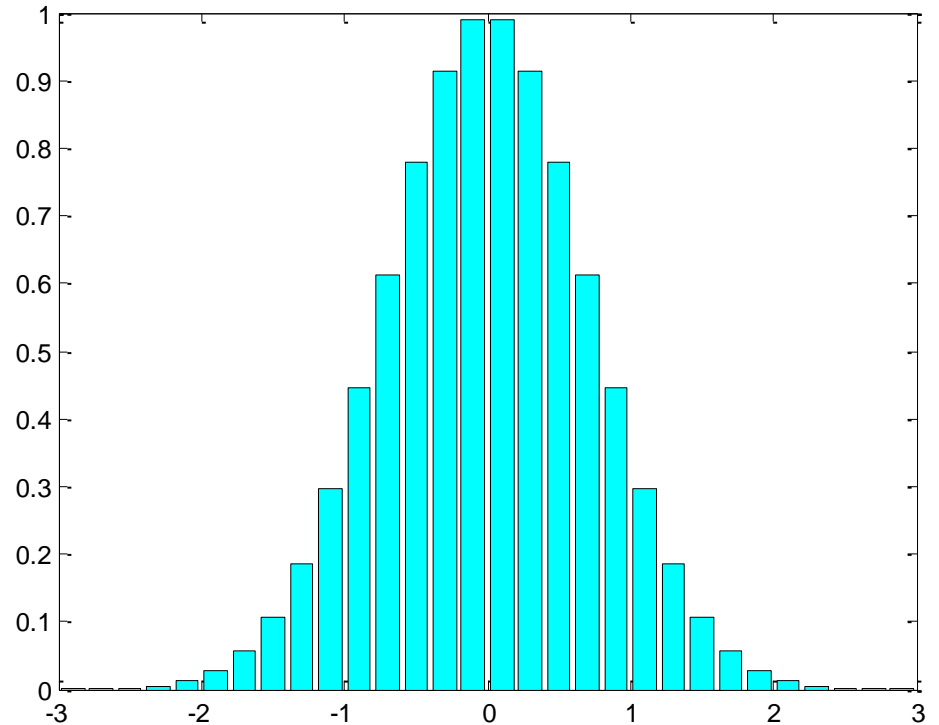
**bar3(x)**

**bar3h(x)**

**area(x)**

# Example 1

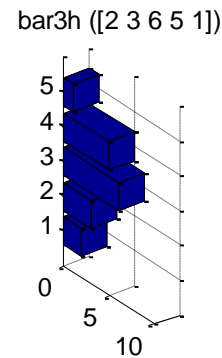
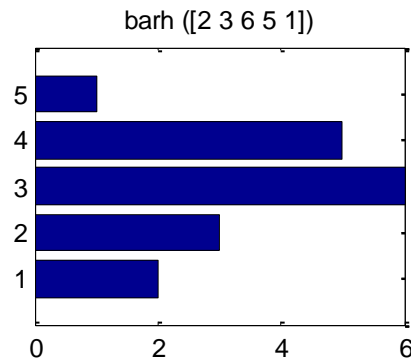
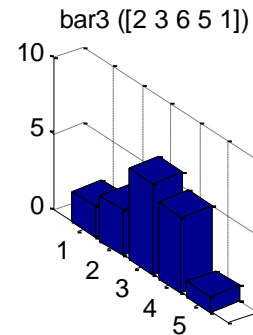
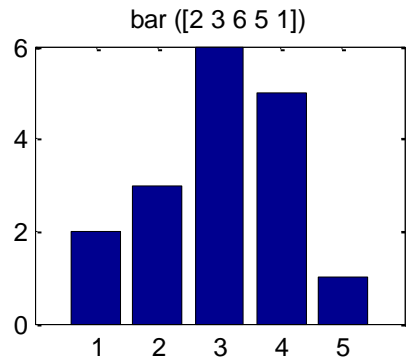
```
>> x = -2.9:0.2:2.9;  
>> y=exp(-x.^2);  
>> bar(x,y)  
>> colormap cool
```





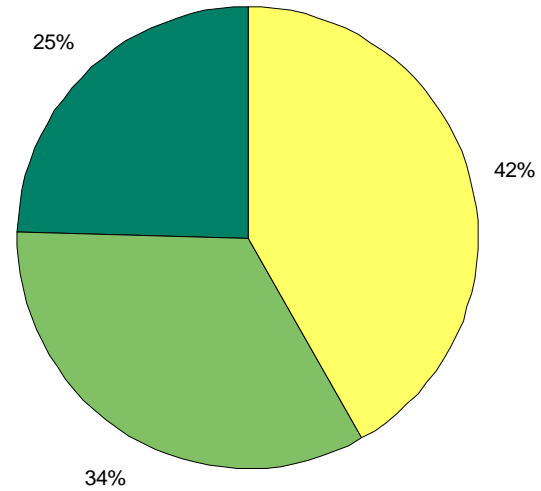
# Example 2

```
>> x=[2 3 6 5 1];  
>> subplot(2,2,1), bar(x), title('bar ([2 3 6 5 1])')  
>> subplot(2,2,2), bar3(x), title('bar3 ([2 3 6 5 1])')  
>> subplot(2,2,3), barh(x), title('barh ([2 3 6 5 1])')  
>> subplot(2,2,4), bar3h(x), title('bar3h ([2 3 6 5 1])')
```

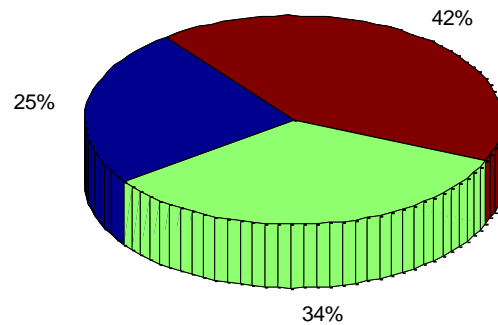


# Pie charts

```
>> x=[194.8,266.5,330.9];  
>> pie(x)
```

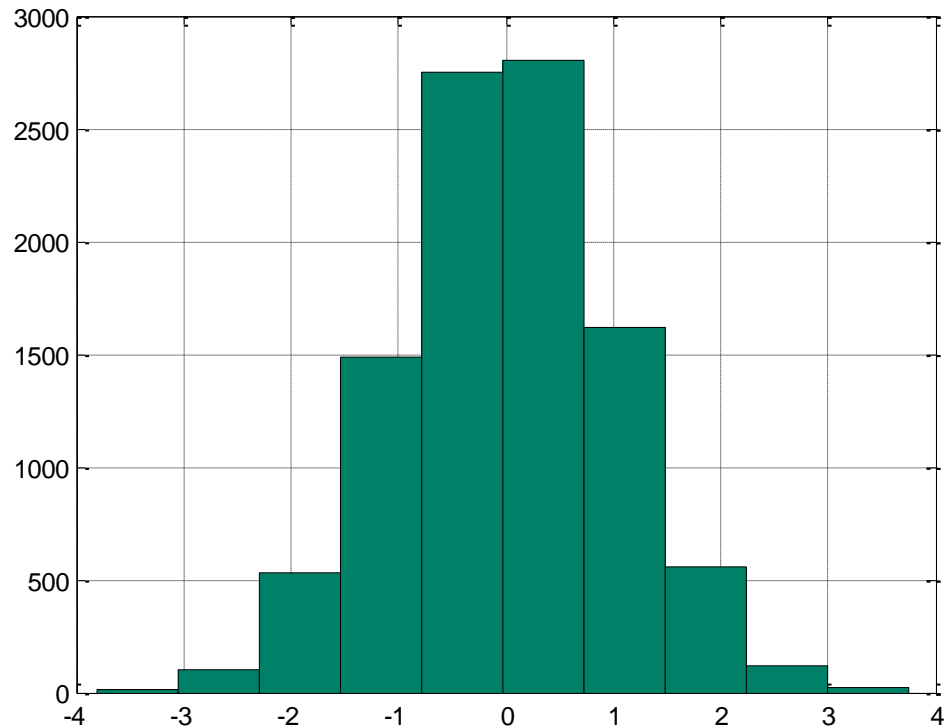


```
>> pie3(x)
```



# Histograms

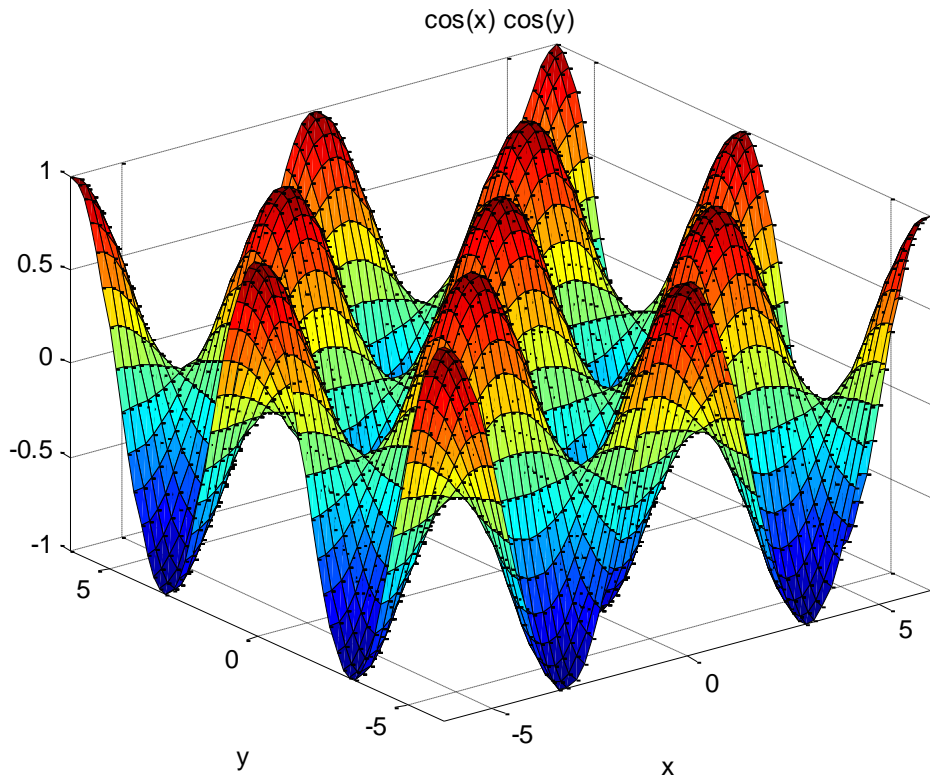
```
>> y=randn(10000,1);  
>> hist(y)  
>> grid
```



# 3D plots

**ezsurf**

```
>> z = @(x,y) cos(x).*cos(y);  
>> ezsurf(z)
```

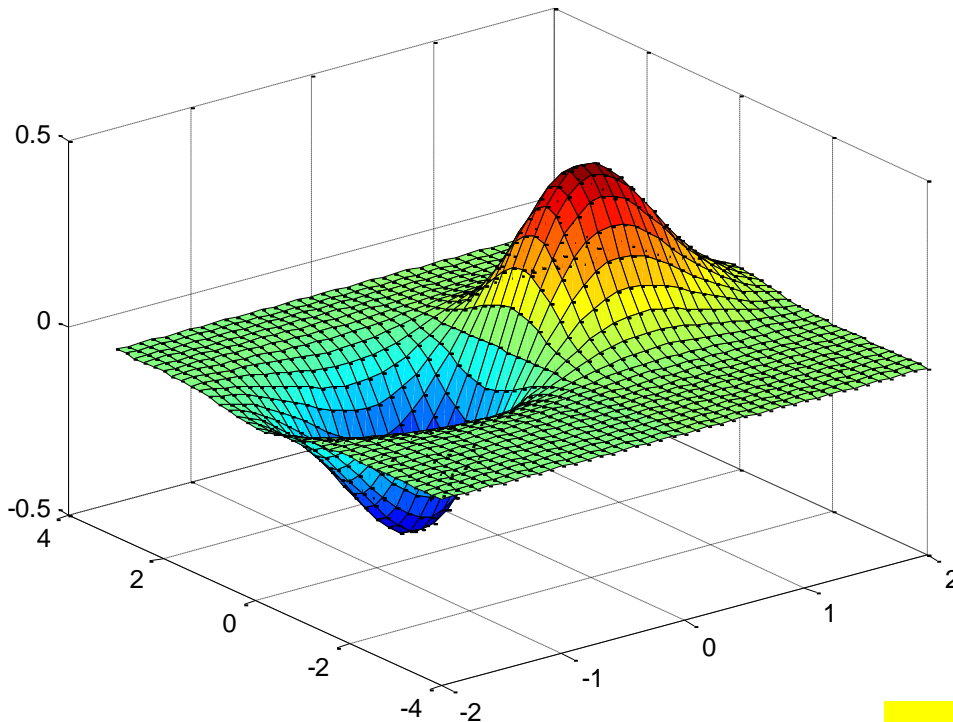


$$z = \cos x \cos y$$

# 3D plots

## meshgrid and surf

```
>> [x,y] = meshgrid(-2:0.1:2, -4:0.2:3);  
>> z = x .* exp(-x.^2 - y.^2);  
>> surf(x,y,z)
```



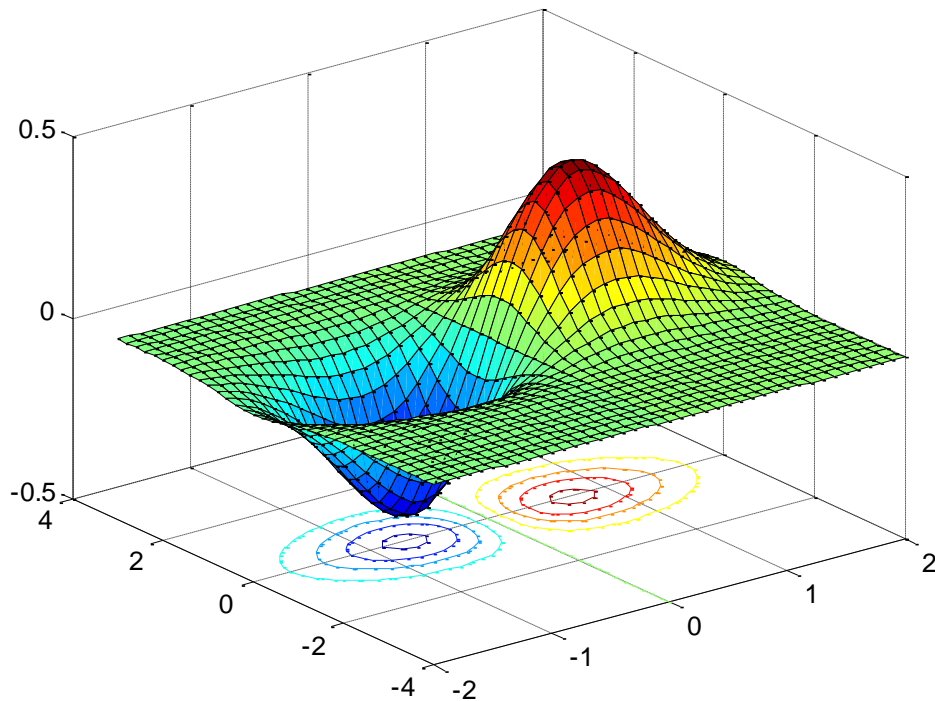
$$z = x e^{-x^2 - y^2}$$

We can put axis labels!

# 3D plots

**surf**

```
>> [x,y] = meshgrid(-2:0.1:2, -4:0.2:3);  
>> z = x .* exp(-x.^2 - y.^2);  
>> surf(x,y,z)
```

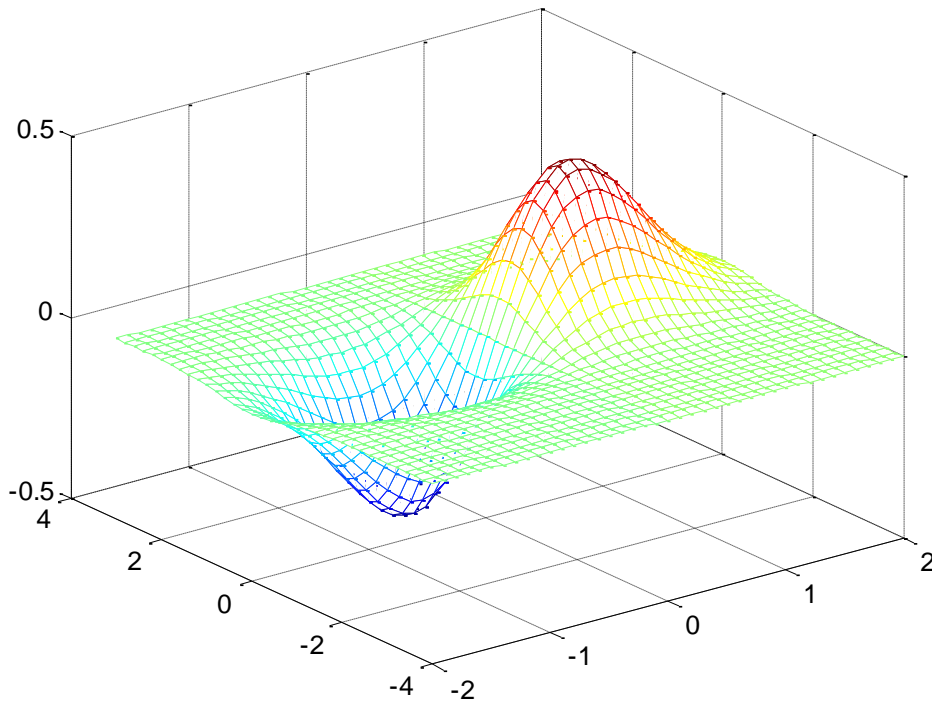


$$z = x e^{-x^2 - y^2}$$

# 3D plots

**mesh**

```
>> [x,y] = meshgrid(-2:0.1:2, -4:0.2:3);  
>> z = x .* exp(-x.^2 - y.^2);  
>> mesh(x,y,z)
```

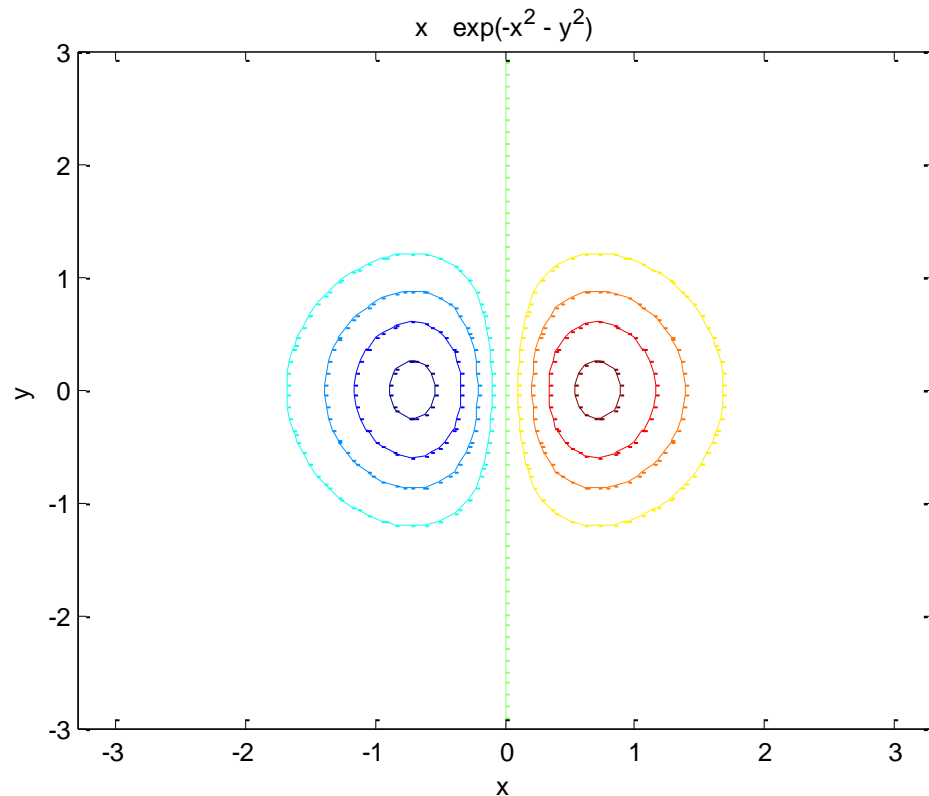


$$z = x e^{-x^2 - y^2}$$

# Contour plots

**ezcontour**

```
>> z = @(x,y) x .* exp(-x.^2 - y.^2);  
>> ezcontour(z)
```



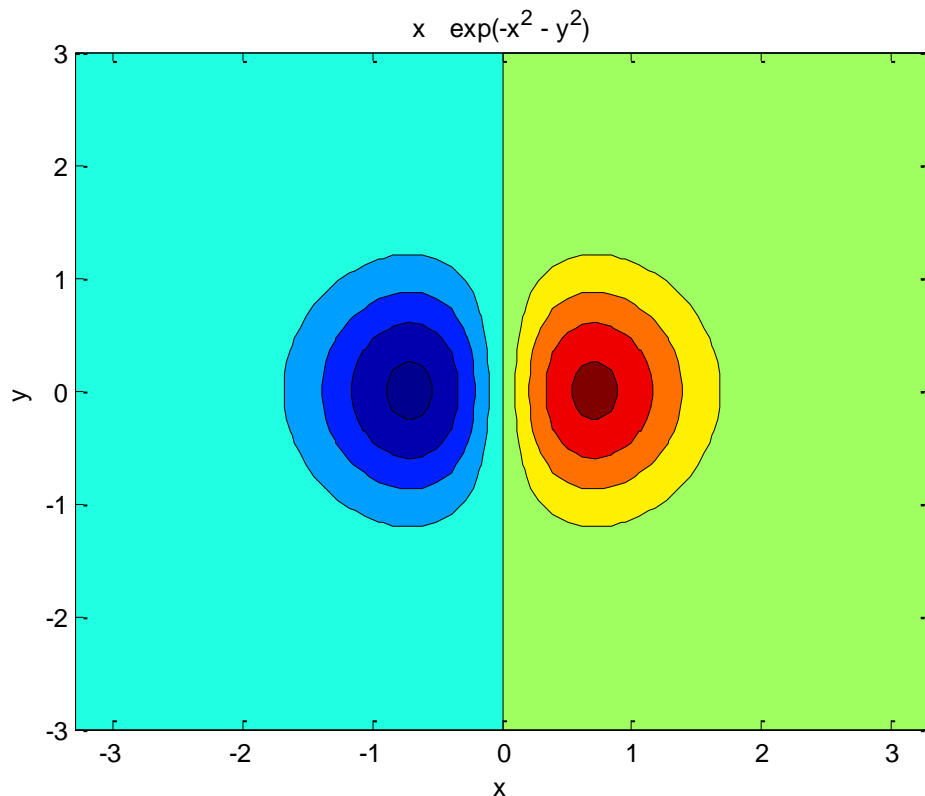
$$z = x e^{-x^2 - y^2}$$



# Contour plots

**ezcontourf**

```
>> z = @(x,y) x .* exp(-x.^2 - y.^2);  
>> ezcontourf(z)
```

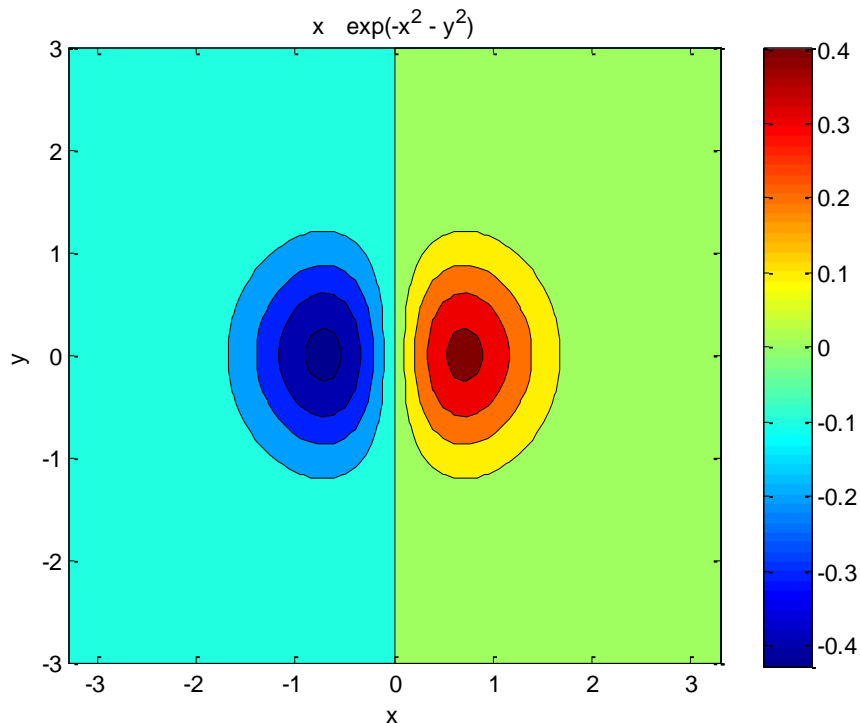


$$z = x e^{-x^2 - y^2}$$

# Contour plots

**colorbar**

```
>> z = @(x,y) x .* exp(-x.^2 - y.^2);  
>> ezcontourf(z)  
>> colorbar
```

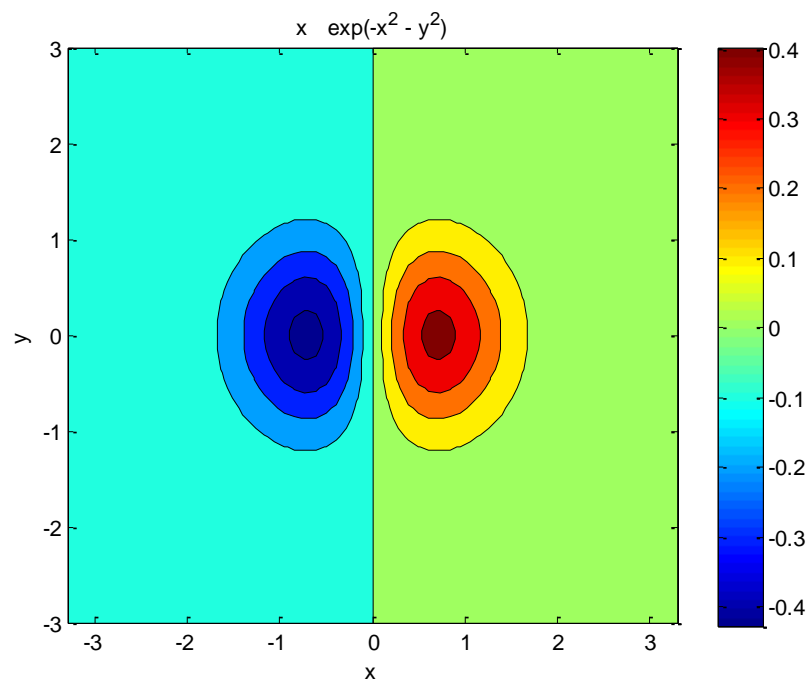


$$z = x e^{-x^2 - y^2}$$

Η εντολή

```
>> colorbar
```

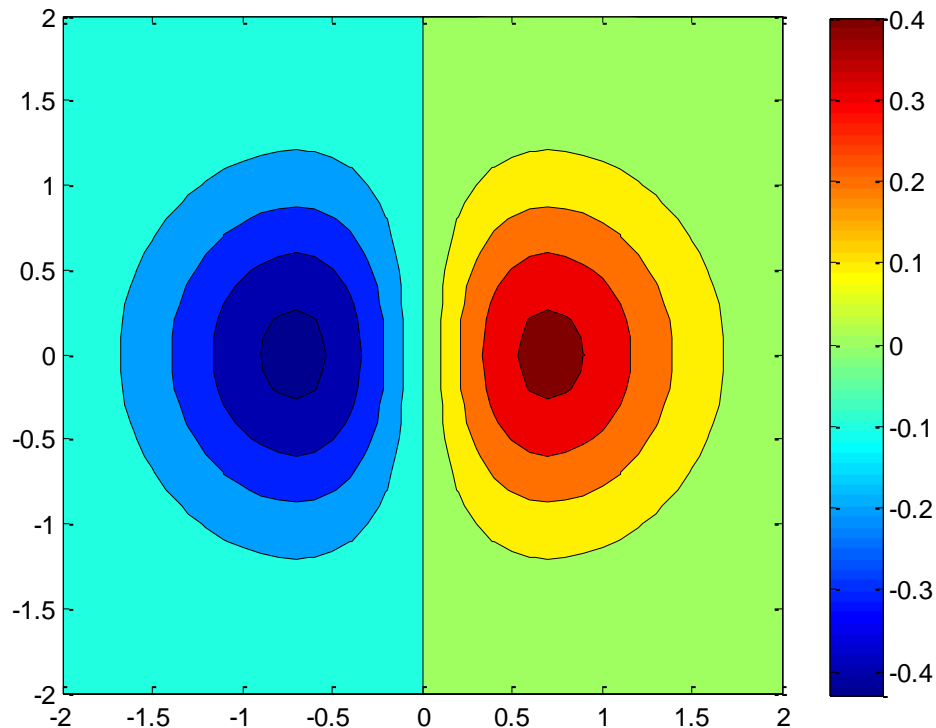
προσθέτει λεζάντα για το κάθε χρώμα, όπως φαίνεται πιο κάτω:



# Contour plots

**contour, contourf**

```
>> [x,y] = meshgrid(-2:0.1:2, -2:0.1:2);  
>> z = x .* exp(-x.^2 - y.^2);  
>> contourf(x,y,z), colorbar
```



$$z = x e^{-x^2 - y^2}$$

# contour, contourf

**contour(x,y,z,n)**

**contour(x,y,z,v)**

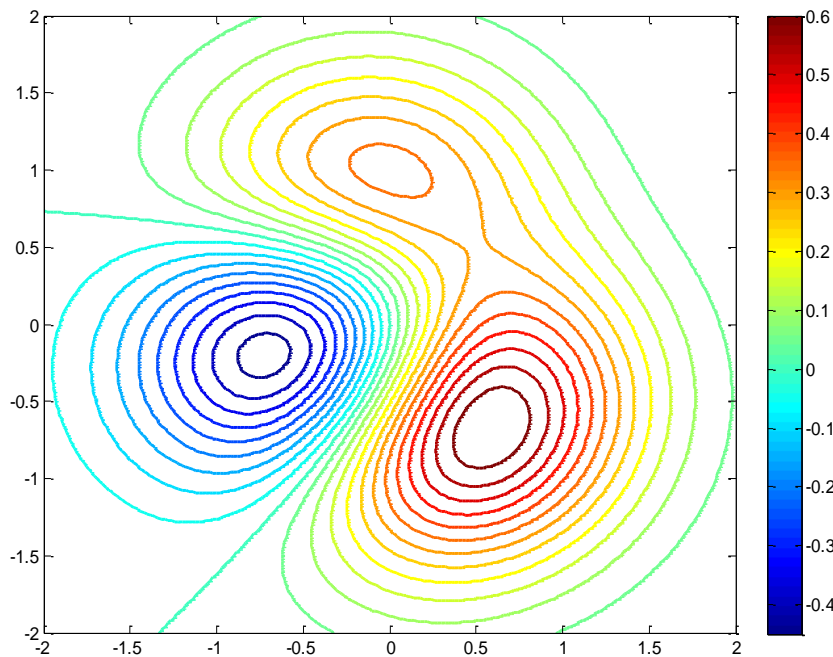
**contourf(x,y,z,v)**

**contour(x,y,z,[v v])**

**contourf(x,y,z,[v v])**

# Example 1

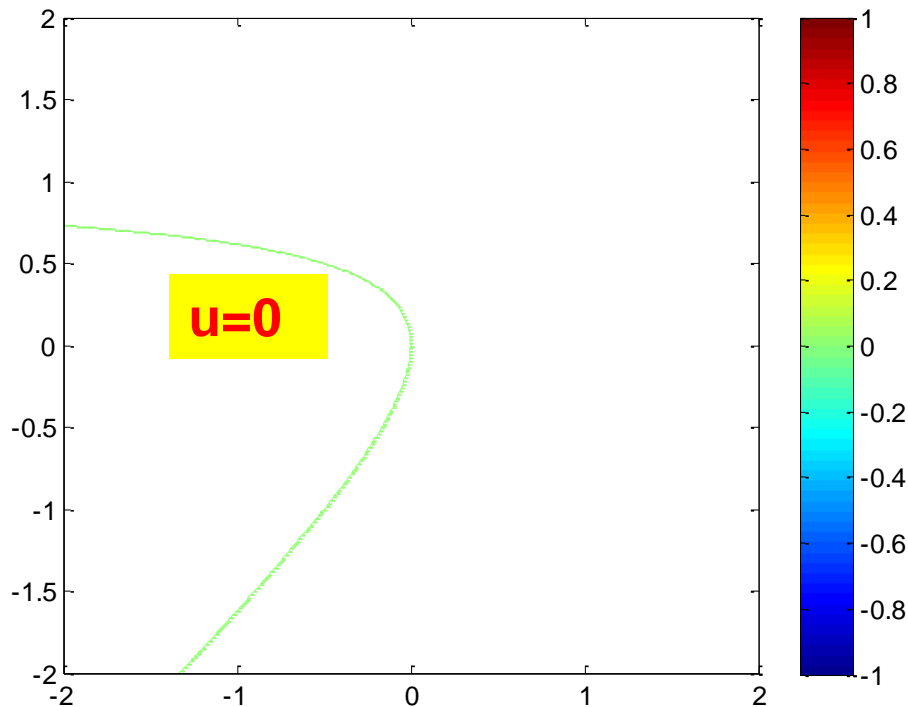
```
>> [x,y]=meshgrid(-2:0.02:2,-2:0.02:2);  
>> z=(x-x.*y+y.^2).*exp(-x.^2-y.^2);  
>> contour(x,y,z,-.5:0.05:5,'Linewidth',2), colorbar
```



$$z = (x - xy - y^2)e^{-x^2 - y^2}$$

# Example 2

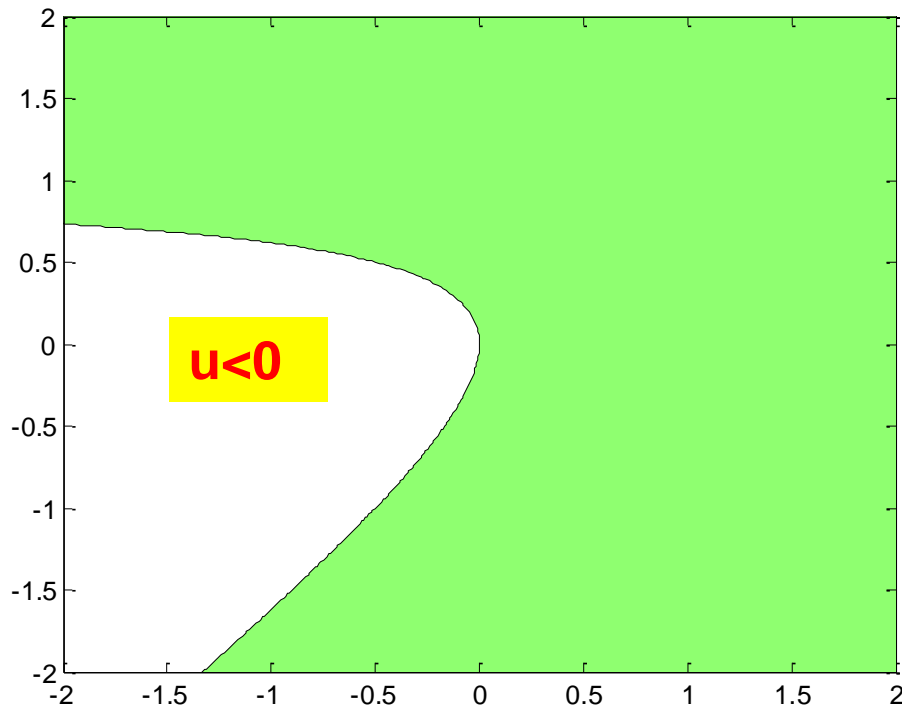
```
>> [x,y]=meshgrid(-2:0.02:2,-2:0.02:2);  
>> z=(x-x.*y+y.^2).*exp(-x.^2-y.^2);  
>> contour(x,y,z,[0 0]), colorbar
```



$$z = (x - xy - y^2)e^{-x^2 - y^2}$$

# Example 3

```
>> [x,y]=meshgrid(-2:0.02:2,-2:0.02:2);  
>> z=(x-x.*y+y.^2).*exp(-x.^2-y.^2);  
>> contourf(x,y,z,[0 0])
```



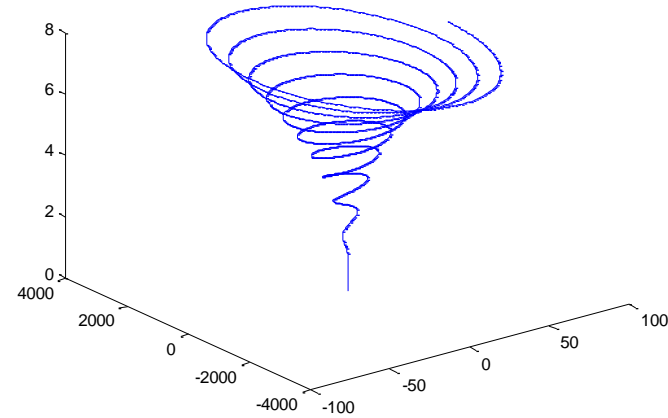
$$z = (x - xy - y^2)e^{-x^2 - y^2}$$



# 3D curves: **plot3**

$$x(t) = t \cos t, \quad y(t) = t^2 \sin t, \quad z(t) = \sqrt{t}, \quad t \in [0, 20\pi]$$

```
t=0:pi/100:20*pi;  
x=t.*cos(t);  
y=t.^2.*sin(t);  
z=sqrt(t);  
plot3(x,y,z)
```



**comet3**

```
>> t=0:pi/100:20*pi;  
>> x=t.*cos(t);  
>> y=t.^2.*sin(t);  
>> z=sqrt(t);  
>> comet3(x,y,z)
```

# Storing a figure in a file: **print**

```
print -device -options filename
```

## Examples

```
print -djpeg -r150 figu
```

Store current figure into 'figu.jpg' with a 150 digit resolution

```
print
```

Sends the current figure to your current printer.

```
print -dps 'foo'
```

Save the current figure to a postscript file named 'foo.ps'

# Device options

- dwinc** : Send figure to current printer in color
- dmeta** : Send figure to clipboard (or file) in Metafile format
- dpsc** : PostScript for color printers
- dpsc2** : Level 2 PostScript for color printers
- depesc** : Encapsulated Color PostScript
- depesc2** : Encapsulated Level 2 Color PostScript
- djpeg<nn>** : JPEG image, quality level of nn
- dtiff** : TIFF with packbits (lossless run-length encoding) compression

**print -depesc -tiff -r300 matilda**

Saves current figure at 300 dpi in color EPS to matilda.eps with a TIFF preview

**See **help print** for more info!**



***Thank you!!***